

Learning Target: Today you will be able to FIND RATES OF CHANGE FROM TABLES AND FIND SLOPE

Question/Main Ideas: **Notes:**

Shows the relationship between two quantities.

$$\text{rate of change} = \frac{\text{change in dependent variable}}{\text{change in independent variable}}$$

Example 1: Finding Rate of Change Using a Table

The table shows the distance a band marches over time. Is the rate of change in distance with respect to time constant? What does the rate of change represent?

Time (min)	Distance (ft)
1	260
2	520
3	780
4	1040

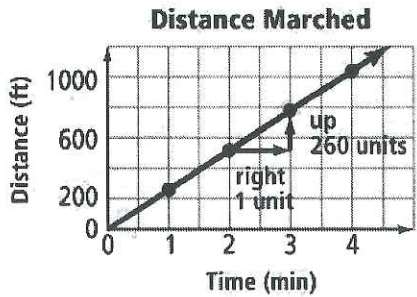
Time - independent
Distance - dependent

rate of change = $\frac{260 \text{ ft}}{1 \text{ min}}$

The band marches 260 ft every minute.

Definition of Slope

That graph below represents the points from Example 1.



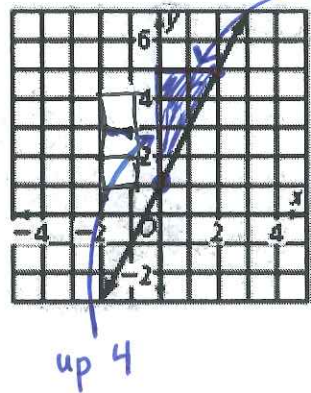
Slope (m) = $\frac{\text{vertical change}}{\text{horizontal change}}$

$$= \frac{\Delta y}{\Delta x}$$

$$= \frac{\text{rise}}{\text{run}}$$

Example 2: Finding Slope Using Graphs

What is the slope of each line?

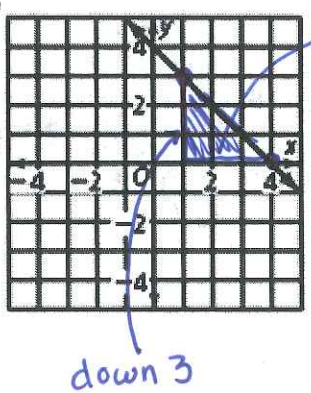
a. 

$$m = \frac{\text{rise}}{\text{run}}$$

$$= \frac{4}{2}$$

$$= \frac{2}{1}$$

$$= 2$$

b. 

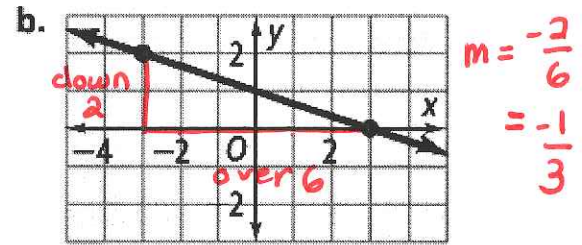
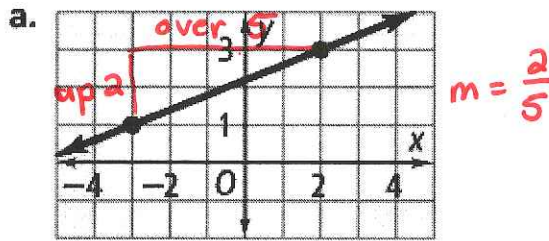
$$m = -\frac{3}{3}$$

$$= -\frac{1}{1}$$

$$= -1$$

Now It's Your Turn

What is the slope of each line?



Key Concept: The Slope Formula

$$\text{slope } (m) = \frac{y_2 - y_1}{x_2 - x_1} \quad \begin{matrix} (x_1, y_1) \\ (x_2, y_2) \end{matrix}$$

Example 3: Finding the Slope Using Points

Find the slope of the line that passes through the given points.

a. (-1, 0) and (3, -2)

$$\frac{y_2 - y_1}{x_2 - x_1} = \frac{-2 - 0}{3 - (-1)} = \frac{-2}{4} = -\frac{1}{2}$$

b. (-2, -2) and (-2, 1)

$$\frac{y_2 - y_1}{x_2 - x_1} = \frac{-2 - 1}{-2 - (-2)} = \frac{-3}{0} = \text{undefined}$$

Now It's Your Turn

Find the slope of the line that passes through the given points.

a. (-3, 2) and (2, 2)

$$\frac{y_2 - y_1}{x_2 - x_1} = \frac{2 - 2}{2 - (-3)} = \frac{0}{5} = 0$$

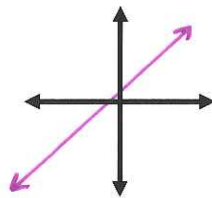
b. (1, 3) and (4, -1)

$$\frac{y_2 - y_1}{x_2 - x_1} = \frac{-1 - 3}{4 - 1} = \frac{-4}{3}$$

Concept Summary: Slopes of Lines

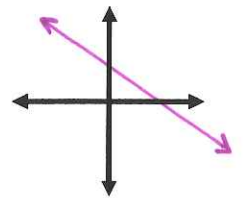
Positive Slope

slants upward
left to right



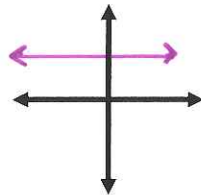
Negative Slope

slants downward
left to right



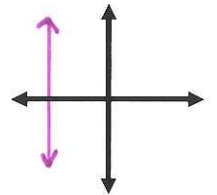
Zero Slope

Horizontal
Line



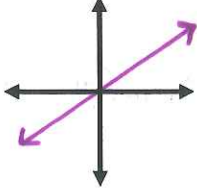
Undefined Slope

Vertical
Line



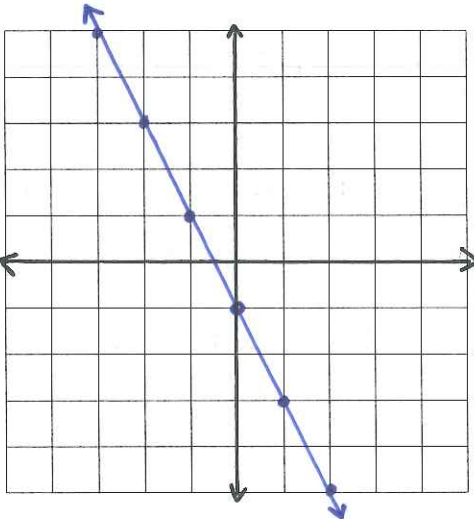
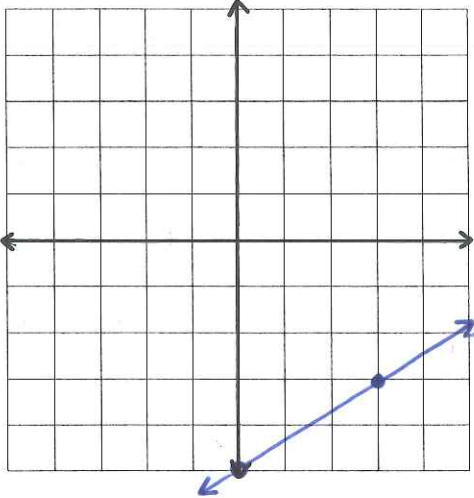
Summary: _____

Learning Target: Today you will be able to WRITE AND GRAPH AN EQUATION OF DIRECT VARIATION

Question/Main Ideas:	Notes:
<p>Definition: Direct Variation</p>	<p>A relationship that can be represented by a function in the form $y = kx$, where $k \neq 0$</p>
<p>Definition: Constant of Variation for Direct Variation</p>	<p>The k in $y = kx$ represents the constant of variation. You can find k...</p> $k = \frac{y}{x}$
<p>Example 1: Identifying a Direct Variation</p>	<p>Does the equation represent a direct variation? Is so, find the constant of variation.</p> <p>a. $\frac{7y}{7} = \frac{2x}{7}$ Yes; $k = \frac{2}{7}$ b. $3y + 4x = 8$ $y = -\frac{4}{3}x + \frac{8}{3}$</p> $y = \frac{2}{7}x$ $\frac{3y}{3} = \frac{-4x + 8}{3}$ <p style="text-align: right;">No</p>
<p>Example 2: Writing a Direct Variation Equation</p>	<p>Suppose y varies directly with x, and $y = 35$ when $x = 5$. What direct variation equation relates x and y? What is the value of y when $x = 9$?</p> $k = \frac{y}{x} = \frac{35}{5} = 7$ $y = 7x$ $y = 7(9)$ $y = 63$
<p>Now It's Your Turn</p>	<p>Suppose y varies directly with x, and $y = 10$ when $x = -2$. What direct variation equation relates x and y? What is the value of y when $x = -15$?</p> $k = \frac{y}{x} = \frac{10}{-2} = -5$ $y = -5x$ $y = -5(-15)$ $y = 75$
<p>Concept: Direct Variation Graphs</p>	<p>The graph of $y = kx$ is a line that goes through $(0,0)$ and a slope that is k.</p> 

Summary: _____

Learning Target: Today you will be able to GRAPH LINES QUICKLY IN THE FORM $y = mx + b$

Question/Main Ideas:	Notes:
Concept: Slope-Intercept Form	$y = mx + b$ $m = \text{slope}$ $b = \text{y-intercept}$
Definition: Linear Parent Function	Parent Function - simplest function in a family of functions. Linear Parent Function: $y = x$
Changing the Slope	Positive - slants upward; Negative - slants downward $ m > 1$ - steeper; $0 < m < 1$ - less steep
Changing the Y-Intercept	The y-intercept shifts the graph up if positive and down if negative
Example 2: Graphing a Linear Equation WITHOUT a table of values	Graph the following. Find the slope and y-intercept. a. $y = -2x - 1$ b. $y = \frac{2}{3}x - 5$ Slope = <u>-2</u> y-intercept = <u>-1</u> Slope = <u>$\frac{2}{3}$</u> y-intercept = <u>-5</u>
	 

Now It's Your Turn

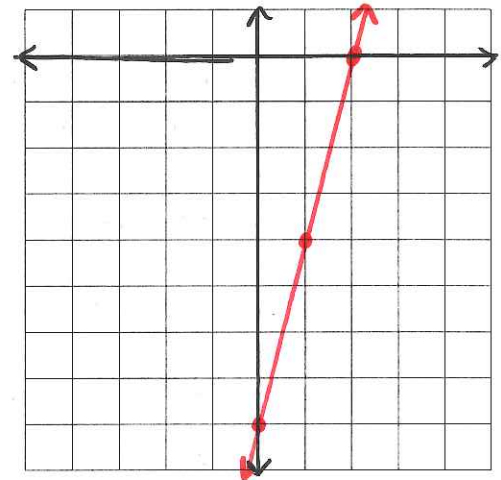
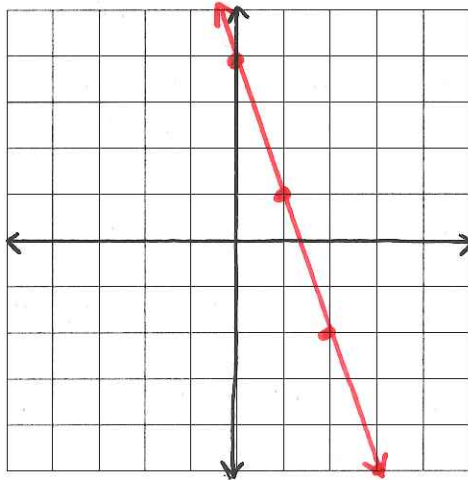
Graph the following. Find the slope and y-intercept.

a. $y = -3x + 4$

Slope = -3 y-intercept = 4

b. $y = 4x - 8$

Slope = 4 y-intercept = -8



Steps to Quick Graphing

Identify the slope and y-intercept.

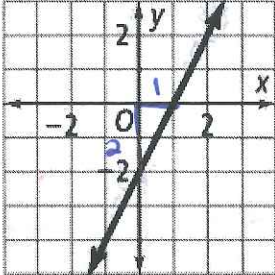
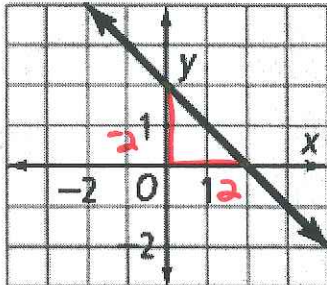
Plot the y-intercept on the y-axis

Use the slope, from the y-intercept, to find a second point

Connect the dots, extend the line, add arrows.

Summary: _____

Learning Target: Today you will be able to WRITE LINEAR EQUATIONS USING SLOPE-INTERCEPT FORM

Question/Main Ideas:	Notes:
<p>Reminder: Slope-Intercept Form</p>	$y = mx + b$ <p>$m = \text{slope}$ $b = y\text{-intercept}$</p>
<p>Example 1: Writing a Linear Equations from a Graph</p>	<p>Write an equation for each line show below.</p> <div style="display: flex; justify-content: space-around;"> <div style="text-align: center;">  <p>$m = \frac{2}{1}$ $b = -2$</p> <p>$y = 2x - 2$</p> </div> <div style="text-align: center;"> <p>Your Turn:</p>  <p>$m = \frac{-2}{2} = -1$ $b = 2$</p> <p>$y = -x + 2$</p> </div> </div>
<p>Example 2: Writing an equation from a Point and the Slope</p>	<p>Write an equation for the line with the given slope and goes through the given point.</p> <p>Slope = -2; Point = (4, 5)</p> $y = mx + b$ $m = -2, x = 4, y = 5$ $5 = -2(4) + b$ $5 = -8 + b$ $13 = b$ $y = -2x + 13$
<p>Now It's Your Turn</p>	<p>Write an equation for the line with the given slope and goes through the given point.</p> <p>Slope = $-\frac{6}{7}$; Point = (14, 2)</p> $y = mx + b$ $m = -\frac{6}{7}, x = 14, y = 2$ $2 = -\frac{6}{7}(14) + b$ $2 = -12 + b$ $14 = b$ $y = -\frac{6}{7}x + 14$

Example 3: Writing an equation from Two Points

Write an equation for the line that passes through the given points.

$(2, 1)$ and $(5, -8)$

$$m = \frac{-8-1}{5-2}$$
$$= \frac{-9}{3}$$
$$= -3$$

use either point for x and y

$$x = 2$$
$$y = 1$$
$$1 = -3(2) + b$$
$$1 = -6 + b$$
$$7 = b$$
$$y = -3x + 7$$

Now It's Your Turn

Write an equation for the line that passes through the given points.

$(3, -2)$ and $(1, -3)$

$$m = \frac{-3 - -2}{1 - 3}$$
$$= \frac{-1}{-2}$$
$$= \frac{1}{2}$$
$$x = 3$$
$$y = -2$$
$$-2 = \frac{1}{2}(3) + b$$
$$-2 = 1.5 + b$$
$$-3.5 = b$$
$$y = \frac{1}{2}x - 3.5$$

Steps to Writing Equations of Lines Given at Least One Point

Start with $y = mx + b$

Find $m \left(\frac{y_2 - y_1}{x_2 - x_1} \right)$ and plug it into $y = mx + b$

Plug in (x, y) for x and y in the equation.

Solve for b .

Plug m and b into $y = mx + b$

Summary: _____

Learning Target: Today you will be able to WRITE AND GRAPH EQUATIONS USING POINT-SLOPE FORM

Question/Main Ideas:	Notes:
<p>Concept: Point-Slope Form</p>	<p>$m = \text{slope}$ (x_1, y_1) $y - y_1 = m(x - x_1)$</p>
<p>Example 1: Writing an Equation in Point-Slope Form</p>	<p>Write an equation in point-slope form for the line with a slope of -5 and passes through the point (-3, 6).</p> <p>$y - 6 = -5(x - -3)$ $y - 6 = -5(x + 3)$</p>
<p>Now It's Your Turn</p>	<p>Write an equation in point-slope form for the line with a slope of $\frac{2}{3}$ and passes through the point (8, -4).</p> <p>$y - -4 = \frac{2}{3}(x - 8)$ $y + 4 = \frac{2}{3}(x - 8)$</p>
<p>Example 2: Graphing Using Point-Slope Form</p>	<div style="display: flex; justify-content: space-around;"> <div style="text-align: center;"> <p>Graph $y - 1 = \frac{2}{3}(x - 2)$.</p> <p>Slope = $\frac{2}{3}$</p> <p>Point = (<u>2</u> , <u>1</u>)</p> </div> <div style="text-align: center;"> <p>Your Turn: Graph $y + 7 = \frac{4}{5}(x - 4)$</p> <p>Slope = $\frac{4}{5}$</p> <p>Point = (<u>4</u> , <u>-7</u>)</p> </div> </div>

Example 3: Using Two Points to Write an Equation in Point-Slope Form

Write an equation in point-slope form of the line that passes through (-2, -3) and (1, 3).

$$m = \frac{3 - (-3)}{1 - (-2)}$$

$$= \frac{6}{3}$$

$$= 2$$

$$y + 3 = 2(x + 2)$$

OR

$$y - 3 = 2(x - 1)$$

Now It's Your Turn

Write an equation in point-slope form of the line that passes through (4, 0) and (-2, 6).

$$m = \frac{6 - 0}{-2 - 4}$$

$$= \frac{6}{-6}$$

$$= -1$$

$$y = -1(x - 4)$$

OR

$$y - 6 = -1(x + 2)$$

Example 4: Using a Table to Write an Equation

The table shows the altitude of a hot-air balloon during its linear descent. What equation in slope-intercept form gives the balloons' altitude at any time? What do the slope and y-intercept represent?

Time, x (sec)	Altitude, y (m)
10	640
30	590
70	490
90	440

20 < > -50

$$m = \frac{\text{rise}}{\text{run}} = \frac{-50}{20} = -2.5$$

$$y = -2.5x + b$$

$$640 = -2.5(10) + b$$

$$640 = -25 + b$$

$$665 = b$$

• slope means the balloon falls 2.5 m/sec.

• b means the balloon starts at 665 m

$$y = -2.5x + 665$$

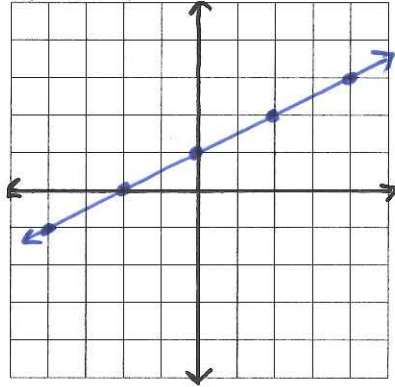
Summary: _____

Learning Target: Today you will be able to GRAPH LINEAR EQUATIONS USING INTERCEPTS

Question/Main Ideas:	Notes:
<p>Definition: y - intercept</p>	<p>when the graph crosses the y-axis occurs when $x = 0$</p>
<p>Definition: x - intercept</p>	<p>when the graph crosses the x-axis occurs when $y = 0$</p>
<p>Concept: Standard Form of a Linear Equation</p>	<p>$Ax + By = C$</p> <ul style="list-style-type: none"> • A, B, C are integers • Some define $A > 0$
<p>Example 1: Finding x- and y- intercepts</p>	<p>What are the x- and y- intercepts of the graph of $3x + 4y = 24$?</p> <div style="display: flex; justify-content: space-around;"> <div style="text-align: center;"> <p><u>x-intercept:</u></p> $3x + 4(0) = 24$ $3x = 24$ $x = 8$ </div> <div style="text-align: center;"> <p><u>y-intercept:</u></p> $3(0) + 4y = 24$ $4y = 24$ $y = 6$ </div> </div>
<p>Now It's Your Turn</p>	<p>What are the x- and y- intercepts of the graph of $5x - 6y = 60$?</p> <div style="display: flex; justify-content: space-around;"> <div style="text-align: center;"> <p><u>x-intercept:</u></p> $5x - 6(0) = 60$ $5x = 60$ $x = 12$ </div> <div style="text-align: center;"> <p><u>y-intercept:</u></p> $5(0) - 6y = 60$ $-6y = 60$ $y = -10$ </div> </div>
<p>Steps to Graphing in Standard Form</p>	<p>Find the x-intercept using $y = 0$</p> <p>Find the y-intercept using $x = 0$</p> <p>Plot the intercepts</p> <p>Connect the dots and extend.</p>

Example 2: Graphing a Line Using Intercepts

Graph $x - 2y = -2$



x-intercept

$$x - 2(0) = -2$$

$$x = -2$$

y-intercept

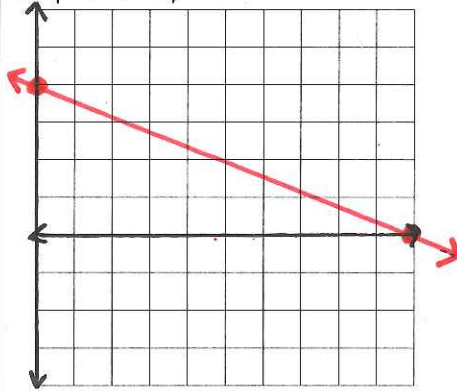
$$(0) - 2y = -2$$

$$-2y = -2$$

$$y = 1$$

Now It's Your Turn

Graph $2x + 5y = 20$



x-intercept

$$2x + 5(0) = 20$$

$$2x = 20$$

$$x = 10$$

y-intercept

$$2(0) + 5y = 20$$

$$5y = 20$$

$$y = 4$$

Concept: Horizontal and Vertical Lines

Horizontal Lines

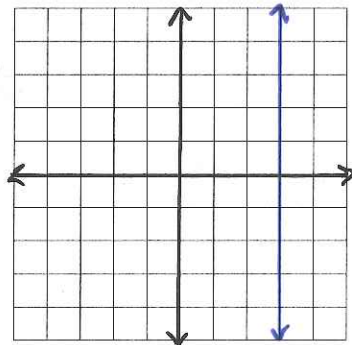
written as $y = b$, where b is a constant

Vertical Lines

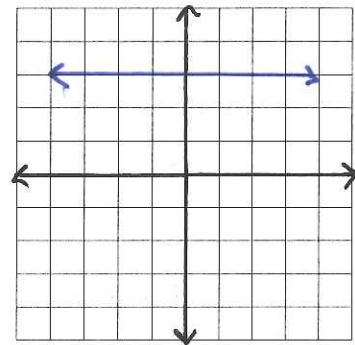
written as $x = a$, where a is a constant

Example 3: Graphing Horizontal and Vertical Lines

a. Graph $x = 3$



b. Graph $y = 3$



Summary: _____

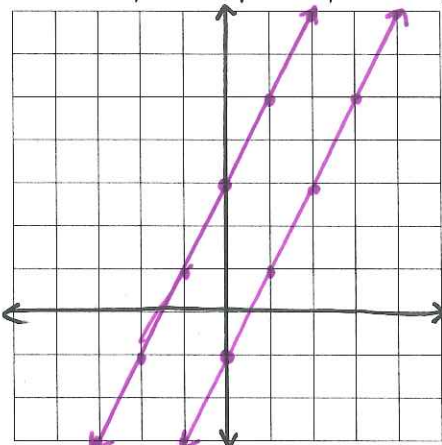
Learning Target: Today you will be able to CONVERT BETWEEN FORMS OF LINEAR EQUATIONS (SLOPE-INTERCEPT, POINT-SLOPE, AND STANDARD)

Question/Main Ideas:	Notes:	
Definition: Slope-Intercept Form	$y = mx + b$ $m = \text{slope}$ $b = \text{y-intercept}$	
Definition: Point-Slope Form	$y - y_1 = m(x - x_1)$ $m = \text{slope}$ (x_1, y_1)	
Definition: Standard Form	$Ax + By = C$ A, B, C are integers	
Concept: Converting to Slope-Intercept Form	From Point-Slope Form	From Standard Form
	Distribute m	Add/subtract the x -term
	Add/subtract y_1	Divide by coefficient of y .
Example 1: Converting to Slope-Intercept Form	Rewrite each of the following linear equations in slope-intercept form. <div style="display: flex; justify-content: space-around; margin-top: 10px;"> <div style="width: 45%;"> <p>a. $y - 6 = -3(x + 3)$</p> $\begin{array}{r} y - 6 = -3x - 9 \\ +6 \qquad +6 \\ \hline y = -3x - 3 \end{array}$ </div> <div style="width: 45%;"> <p>b. $3x - 5y = 17$</p> $\begin{array}{r} -3x \quad -3x \\ \hline -5y = -3x + 17 \\ -5 \quad -5 \quad -5 \\ \hline y = \frac{3}{5}x - 3.4 \end{array}$ </div> </div>	
Now It's Your Turn	Rewrite each of the following linear equations in slope-intercept form. <div style="display: flex; justify-content: space-around; margin-top: 10px;"> <div style="width: 45%;"> <p>a. $y + 3 = -3(x - 1)$</p> $\begin{array}{r} y + 3 = -3x + 3 \\ -3 \quad -3 \\ \hline y = -3x \end{array}$ </div> <div style="width: 45%;"> <p>b. $7x + 3y = -12$</p> $\begin{array}{r} -7x \quad -7x \\ \hline 3y = -7x - 12 \\ 3 \quad 3 \quad 3 \\ \hline y = -\frac{7}{3}x - 4 \end{array}$ </div> </div>	

	From Point-Slope Form	From Slope-Intercept Form
Concept: Converting to Standard Form	Distribute m	Use fraction busters - Multiply by common denom.
	Use fraction busters - mult. by the common denom.	Add/subtract the x -term so both variables are on the same side
	Add/subtract the x -term	Optional: Multiply the equation by -1 so A is positive.
	Add/subtract y_1	
Example 2: Converting to Standard Form	Rewrite each of the following linear equations in standard form.	
	a. $y - 3 = -\frac{2}{3}(x + 6)$ $(y - 3 = -\frac{2}{3}x - 4) \cdot 3$ $3y - 9 = -2x - 12$ $\begin{array}{r} +2x \\ \hline 2x + 3y - 9 = -12 \\ +9 \quad +9 \\ \hline 2x + 3y = -3 \end{array}$	b. $(y = \frac{1}{2}x - \frac{5}{6}) \cdot 6$ $6y = 3x - 5$ $\begin{array}{r} -3x \quad -3x \\ \hline -3x + 6y = -5 \\ \text{OR} \\ 3x - 6y = 5 \end{array}$
Now It's Your Turn	Rewrite each of the following linear equations in standard form.	
	a. $y + \frac{3}{4} = 2(x - 2)$ $(y + \frac{3}{4} = 2x - 4) \cdot 4$ $4y + 3 = 8x - 16$ $\begin{array}{r} -8x \\ \hline -8x + 4y + 3 = -16 \\ -8x + 4y = -19 \end{array}$	b. $(y = -\frac{1}{5}x - 8) \cdot 5$ $5y = -x - 40$ $\begin{array}{r} +x \quad +x \\ \hline x + 5y = -40 \end{array}$

Summary: _____

Learning Target: Today you will be able to DETERMINE WHETHER LINES ARE PARALLEL, PERPENDICULAR, OR NEITHER

Question/Main Ideas:	Notes:
<p>Exploration of Lines Part 1</p>	<p>Graph both lines below on the same coordinate plane. Identify the slope and y-intercept for each. Then answer the following questions.</p> <p>Equation 1: $y = 2x + 3$ Slope = <u>2</u> y-intercept = <u>3</u></p> <p>Equation 2: $y = 2x - 1$ Slope = <u>2</u> y-intercept = <u>-1</u></p>  <p>1. What do you notice about the graphs of both equations? Talk about the similarities between the slopes and y-intercepts.</p> <ul style="list-style-type: none"> • The lines are parallel • The slopes are the same
<p>Concept: Parallel Lines</p>	<p>Lines that never intersect. Slopes are equal</p>
<p>Example 1: Identifying Parallel Lines</p>	<p>Which line is parallel to the line through (13, 5) and (1, 20)?</p> <p>Line 1: through (4, -2) and (-4, -12) Line 2: through (-13, 14) and (7, -11)</p> <p>Original $\frac{20-5}{1-13} = \frac{15}{-12} = -\frac{5}{4}$</p> <p>Line 1: $\frac{-12+2}{-4-4} = \frac{-10}{-8} = \frac{5}{4}$ Line 2: $\frac{-11-14}{7-13} = \frac{-25}{-6} = \frac{25}{6}$</p> <p style="text-align: right;">Line 2</p>
<p>Now It's Your Turn</p>	<p>Which line is parallel to the line through (12, -4) and (8, -7)?</p> <p>Line 1: through (-2, -6) and (10, 3) Line 2: through (6, -9) and (-2, -3)</p> <p>Original $\frac{-7+4}{8-12} = \frac{-3}{-4} = \frac{3}{4}$</p> <p>Line 1: $\frac{3+6}{10+2} = \frac{9}{12} = \frac{3}{4}$ Line 2: $\frac{-3+9}{-2-6} = \frac{6}{-8} = -\frac{3}{4}$</p> <p style="text-align: right;">Line 1</p>

Exploration of Lines
Part 2

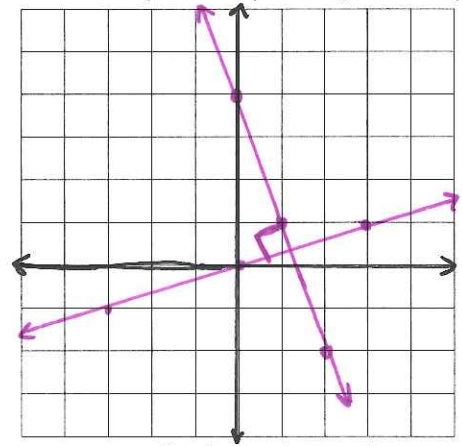
Graph both lines below on the same coordinate plane. Identify the slope and y-intercept for each. Then answer the following questions.

Equation 1: $y = -3x + 4$

Slope = -3 y-intercept = 4

Equation 2: $y = \frac{1}{3}x$

Slope = $\frac{1}{3}$ y-intercept = 0



1. What do you notice about the graphs of both equations? Talk about the similarities between the slopes and y-intercepts.

- The lines are perpendicular
- slopes - one neg. / one pos. "Flipped"

Concept: Perpendicular Lines

Lines that intersect at a 90° angle.

Slopes are opposite reciprocals ($\frac{a}{b}, -\frac{b}{a}$)

Example 2: Classifying Lines

Are the graphs of $\frac{4y}{4} = \frac{-5x + 12}{4}$ and $y = \frac{4}{5}x - 8$ parallel, perpendicular, or neither?

$y = -\frac{5}{4}x + 3$

Perpendicular
($-\frac{5}{4}, \frac{4}{5}$)

Now It's Your Turn

a. Are the graphs of $y = \frac{3}{4}x + 7$ and $4x - 3y = 9$ parallel, perpendicular, or neither?

$$\begin{array}{r} 4x - 3y = 9 \\ -4x \quad -4x \\ \hline -3y = -4x + 9 \\ -3 \quad -3 \\ \hline y = \frac{4}{3}x - 3 \end{array}$$

Neither
-not
opposites

b. Are the graphs of $6y = -x + 6$ and $y = -\frac{1}{6}x + 6$ parallel, perpendicular, or neither?

$$\begin{array}{r} 6y = -x + 6 \\ \frac{6y}{6} = \frac{-x + 6}{6} \\ y = -\frac{1}{6}x + 1 \end{array} \quad \text{Parallel}$$

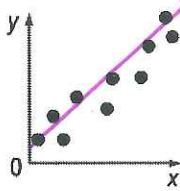
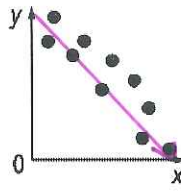
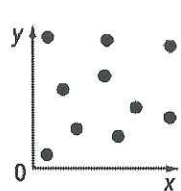
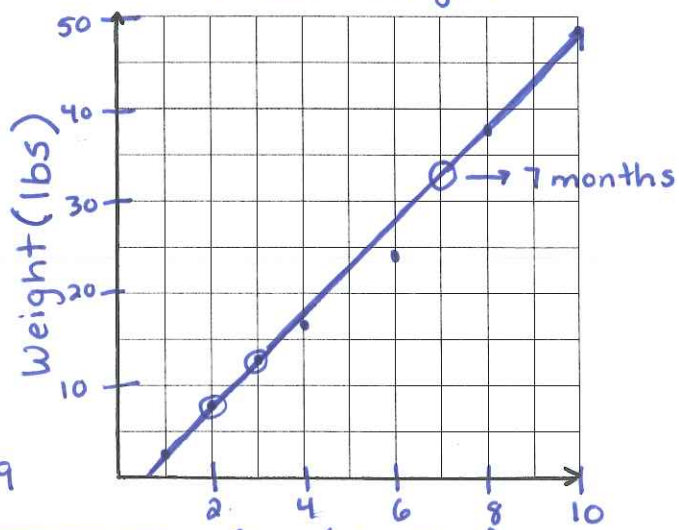
Summary: _____

Learning Target: Today you will be able to WRITE EQUATIONS OF PARALLEL & PERPENDICULAR LINES

Question/Main Ideas:	Notes:	
<p>Review Concept: Parallel Lines and Perpendicular Lines</p>	<p>Parallel Lines: Lines with the same slopes</p>	<p>Perpendicular Lines: Lines with opposite reciprocal slopes</p>
<p>Example 1: Writing an equation of a Parallel Line</p>	<p>Write an equation of a line that passes through (12, 5) and is <u>parallel</u> to the graph $y = \frac{2}{3}x - 1$</p> $m = \frac{2}{3}$ $x = 12, y = 5$ $5 = \frac{2}{3}(12) + b$ $5 = 8 + b$ $-3 = b$ $y = \frac{2}{3}x - 3$	
<p>Now It's Your Turn</p>	<p>Write an equation of a line that passes through (-3, -1) and is <u>parallel</u> to the graph $y = 2x + 3$</p> $m = 2$ $x = -3$ $y = -1$ $-1 = 2(-3) + b$ $-1 = -6 + b$ $5 = b$ $y = -x + 5$	
<p>Example 2: Writing an equation of a Perpendicular Line</p>	<p>Write an equation of a line that passes through (2, 4) and is <u>perpendicular</u> to the graph $y = \frac{1}{3}x - 1$</p> $m = -3$ $x = 2$ $y = 4$ $4 = -3(2) + b$ $4 = -6 + b$ $10 = b$ $y = -3x + 10$	
<p>Now It's Your Turn</p>	<p>Write an equation of a line that passes through (1, 8) and is <u>perpendicular</u> to the graph $y = 2x + 1$</p> $m = -\frac{1}{2}$ $x = 1, y = 8$ $8 = -\frac{1}{2}(1) + b$ $8 = -\frac{1}{2} + b$ $8.5 = b$ $y = -\frac{1}{2}x + 8.5$	

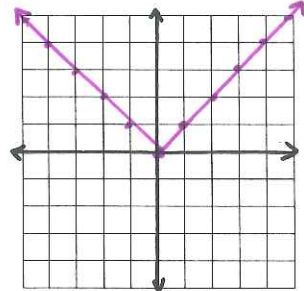
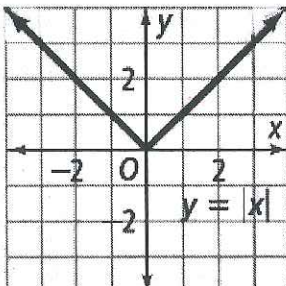
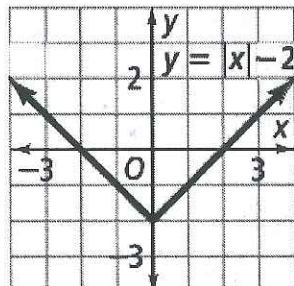
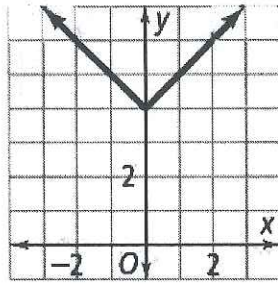
Summary: _____

Learning Target: Today you will be able to WRITE AN EQUATION OF A TREND LINE AND OF A LINE OF BEST FIT AS WELL AS USE A TREND LINE AND A LINE OF BEST FIT TO MAKE PREDICTIONS

Question/Main Ideas:	Notes:																		
<p>Definition: Scatter Plot</p>	<p>A graph that relates two different sets of data by displaying them as ordered pairs</p>																		
<p>Definition: Correlation</p>	<p>Positive Correlation</p>  <p>When y tends to increase as x increases, the two sets of data have a positive correlation.</p>	<p>Neegative Correlation</p>  <p>When y tends to decrease as x increases, the two sets of data have a negative correlation.</p>	<p>No Correlation</p>  <p>When x and y are not related, the two sets of data have no correlation.</p>																
<p>Example 1: Writing an Equation of a Trend Line</p>	<p>Make a scatter plot of the data below. Draw in your trend line and find the equation of that trend line. Then use the trend line to approximate the weight of a 7-month-old panda.</p> <table border="1" data-bbox="462 1081 755 1428"> <thead> <tr> <th>Age (Months)</th> <th>Weight (lbs)</th> </tr> </thead> <tbody> <tr><td>1</td><td>2.5</td></tr> <tr><td>2</td><td>7.6</td></tr> <tr><td>3</td><td>12.5</td></tr> <tr><td>4</td><td>17.1</td></tr> <tr><td>6</td><td>24.3</td></tr> <tr><td>8</td><td>37.9</td></tr> <tr><td>10</td><td>49.2</td></tr> </tbody> </table> <p>$(2, 7.6)$ $(3, 12.5)$</p> $m = \frac{12.5 - 7.6}{3 - 2} = \frac{4.9}{1} = 4.9$ $7.6 = 4.9(2) + b$ $7.6 = 9.8 + b$ $-2.2 = b$ <p>$y = 4.9x - 2.2$</p> <p>Weight (lbs)</p>  <p>Age (Months)</p> <p>About 32 lbs at 7 months</p>			Age (Months)	Weight (lbs)	1	2.5	2	7.6	3	12.5	4	17.1	6	24.3	8	37.9	10	49.2
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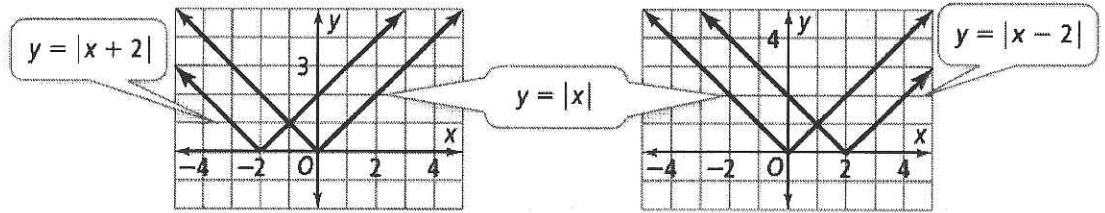
Summary: _____

Learning Target: Today you will be able to GRAPH AN ABSOLUTE VALUE FUNCTION AND TRANSLATE THE GRAPH OF AN ABSOLUTE VALUE FUNCTION

Question/Main Ideas:	Notes:
<p>Definition: Absolute Value Function</p> <p>Teacher note: Add this before example 3.- not at beginning.</p>	<p>Parent Function: $y = x$</p> <p>$y = a x-h +k$</p> <p>$a =$ "slope" $h =$ horizontal shift $k =$ vertical shift</p> <p>$(h,k) =$ vertex</p> 
<p>Definition: Translation</p>	<p>A shift of the graph horizontally (h), vertically (k) or a combination of both.</p>
<p>Example 1: Describing Translations</p>	<p>Below are the graphs of $y = x$ and $y = x - 2$. How are the graphs related?</p>   <p>Same v-shape The second graph is shifted down 2.</p>
<p>Now It's Your Turn</p>	<p>How is the graph below related to the graph of $y = x$? What is the equation of this graph?</p>  <p>The graph is shifted up 4</p> <p>$y = x + 4$</p>
<p>Concept: Translating Absolute Value Graphs Vertically</p>	<p>The number added or subtracted outside the absolute value shifts the graph up or down respectively.</p>

Example 2: More Describing Translations

Below are the graphs of $y = |x|$ and $y = |x - 2|$ drawn on the same graph and $y = |x|$ and $y = |x + 2|$ drawn on the same graph. How are the graphs of $y = |x - 2|$ and $y = |x + 2|$ related to $y = |x|$? *Graphs are shifted horizontally*



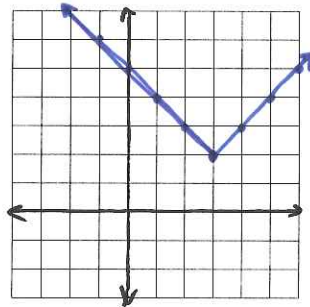
$|x + a|$ - left a $|x - a|$ - right a "backwards"

Concept: Translating Absolute Value Graphs Horizontally

The number added or subtracted inside the absolute value shifts the graph left(+) or right(-). Think opposite.

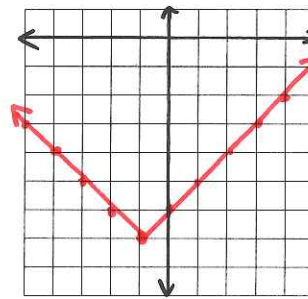
Example 3: Graphing a Vertical Translation

Graph $y = |x - 3| + 2$



right 3
up 2

Your Turn: Graph $y = |x + 1| - 7$



left 1
down 7

Example 4: Writing Equations of Absolute Value Equations

What is an equation for each translation of $y = |x|$?

a. 11 units up and 9 units right

$y = |x - 9| + 11$

b. 14 units down and 4 units left

$y = |x + 4| - 14$

Now It's Your Turn

What is an equation for each translation of $y = |x|$?

a. 8 units up and 6 units left

$y = |x + 6| + 8$

b. 5 units down and 8 units right

$y = |x - 8| - 5$

Summary: _____